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# Electrifex

Enhancing Quality of Life

**Coding Round** EFX/240315/A

## QUESTION 1

Burger Happiness: In Burger Town new burger restaurants will be opened! Concretely,  $N$  restaurants will open in  $N$  days, while restaurant  $i$  will be opened on day  $i$  and will be located at  $X_i$ . The town should be imagined as a one-dimensional line in which every object's location can be described by the  $x$ -coordinate.

Tim has just recently arrived the town after a very bad result in a programming contest. Thus, he wants to cheer himself up by starting a trip to try out some new burgers.

Every burger restaurant is associated with two integers  $A_i$  and  $B_i$ . If Tim eats a burger from  $i$ , then his happiness will increase by  $A_i$ , which can also be negative, depending on the deliciousness of the burger. On the other hand, if Tim looks through the window of an opened restaurant  $i$ , from which he will not eat a burger, then his happiness decreases by  $B_i$ , since Tim gets sad by only seeing the burgers.

Tim's journey can start from any day  $d$  at the burger restaurant  $d$  and eats a burger from there. On each subsequent day  $n > d$ , Tim has the following options:

- Stay at the previous restaurant  $p$ .
- Or go to the new restaurant  $n$  to eat a burger from there.

If he decides for the latter option, then on the path from  $p$  to  $n$  he will look through all the windows that are on his path and maybe lose some happiness. If  $X_p < X_n$  then he will look through the window of every opened restaurant  $i$ , having  $X_p \leq X_i < X_n$ . Similar for the case  $X_n < X_p$ .

Write a program help Tim to find a trip that will maximize his happiness. If he should stay at home since no trip would cheer him up, then print 0.

Tim's happiness is 0 at the beginning of the trip and is allowed to be negative throughout the time.

Input Format	Constraints	Output Format
$N$ will be given on the first line, then $N$ lines will follow, describing the restaurants numbered from 1 to $N$ accordingly. Restaurant $i$ will be described by $X_i$ , $A_i$ and $B_i$ separated by a single space.	$1 \leq N \leq 10^5$ $ A_i  \leq 10^6$ $0 \leq B_i \leq 10^6$ $0 \leq X_i \leq 10^9$ and no two restaurants will have the same coordinates.	Output the maximum happiness on one line.
Sample Input	Sample Output	
3 2 -5 1 1 5 1 3 5 1	8	
4 4 10 0	15	

1 -5 0 3 0 10 2 10 0	
3 1 -1 0 2 -2 0 3 -3 0	0

## **QUESTION 2**

Euler published the remarkable quadratic formula:  $n^2 + n + 41$

It turns out that the formula will produce 40 primes for the consecutive values  $n = 0$  to 39.

However, when  $n = 40$ ,  $40^2 + 40 + 41 = 40(40 + 1) + 41$  is divisible by 41, and certainly when  $n = 41$ ,  $41^2 + 41 + 41$  is clearly divisible by 41.

Using computers, the incredible formula  $n^2 - 79n + 1601$  was discovered, which produces 80 primes for the consecutive values  $n = 0$  to 79. The product of the coefficients, -79 and 1601, is -126479.

Considering quadratics of the form:

$$n^2 + an + b, \text{ where } |a| \leq N \text{ and } |b| \leq N$$

where  $|n|$  is the modulus/absolute value of  $n$

e.g.  $|11| = 11$  and  $|-4| = 4$

Find the coefficients, a and b, for the quadratic expression that produces the maximum number of primes for consecutive values of  $n$ , starting with  $n = 0$ .

Note: You can assume solution to be unique.

Input Format	Constraints	Output Format
The first line contains an integer $N$ .	$42 \leq N \leq 2000$	Print the value of a and b separated by space.
Sample Input	Sample Output	
42	-1 41	